

Multimedia in Physics: Applets

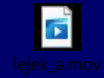
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Orbity nie-keplerowskie



Gravitazione.exe — skróć.Ink

Orbity keplerowskie



lejek_a.mov



lejek_b.mov



lejek_c.mov



Orbity niekeplerowskie



Orbity keplerowskie ?



DSCN0649.MOV

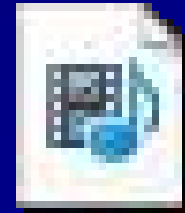


DSCN1051.MOV

Drgania (1)



Drgania (2) - tłumienie



Dscn0252.mov

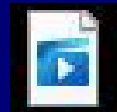
Drgania (3) - wymuszone



Drgania (4) - sprzężone



Drgania (4) - sprzężone



Dscn0243.mov

modo simmetrico $\omega_{12} = \sqrt{k_1/m}$



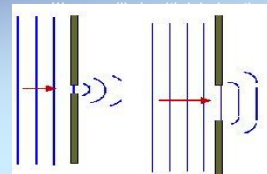
Dscn0244.mov

modo antisimmetrico $\omega_{22} = \sqrt{k_1/m + 2k_2/m}$

Electrons and waves



1. Wave phenomena are characterized by interference. The impression of an acute dissonance happens when beats are below 50 Hz in frequency.

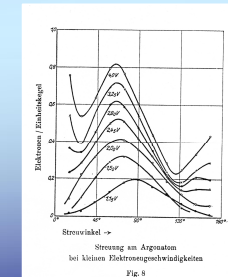
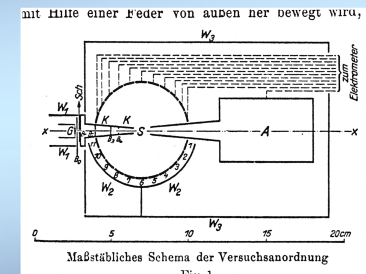
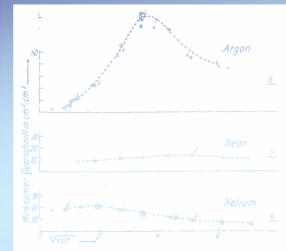
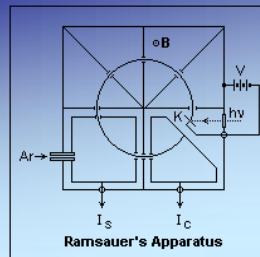
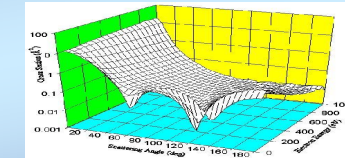


ave number.

3. Following Huygens' principle, the scattering center acts as a source of spherical wave $\Psi = \exp(ikr)$.

4. Obviously, the scattered wave need not be perfectly spherical, so we add an angular factor $\Psi = f(\theta) \exp(ikr)$.

Ramsauer effect: the distribution of scattered electrons are complicated functions of energy.



Carl Ramsauer, in Gdansk, 1921 was the first who showed that electrons behave like waves: at some energies the gases like Ar, Kr become transparent to them: the cross section shows a minimum. This is a wave-like effect.

In 1931, in Berlin- Reinickendorf, C. Ramsauer and R. Kollath measured angular distribution of scattered electrons, confirming **Quantum wave mechanics**.

Quantum scattering calculated easily

The scattering amplitude is given by:

$$f(\theta) = \frac{1}{2ik} \sum_{\ell=0}^{\infty} (2\ell+1) (\exp(2i\eta_{\ell}) - 1) P_{\ell}(\cos \theta)$$

where $\ell\hbar$ is the angular momentum in the collision, $\ell=0,1,2,\dots$,
 η_{ℓ} are the "phase shifts" of the respective partial waves
 and $P_{\ell}(\cos \theta)$ are Legendre polynomials

The integral cross-section is given by

$$\sigma_{\text{int}} = \frac{4\pi}{k^2} \sum_{\ell=0}^{\infty} (2\ell+1) \sin^2 \eta_{\ell}$$

